

## Tutorial 3: demand estimation

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### 1. Reading the dataset

```
use "F:\TA ECO310H1 2018FALL\Tutorial3\verboven_cars.dta", clear
```

This directory depends on where you save the dataset. By typing "clear", it specifies that it is okay to replace the data in memory, even though the current data have not been saved to disk

### 2. Summary statistics

```
sort ma co ye
```

	ye	ma	co
1	83	Belgium	1
2	84	Belgium	1
3	85	Belgium	1
4	86	Belgium	1
5	87	Belgium	1
6	88	Belgium	1
7	89	Belgium	1
8	90	Belgium	1
9	91	Belgium	1
10	92	Belgium	1
11	93	Belgium	1
12	94	Belgium	1
13	86	Belgium	2
14	87	Belgium	2
15	88	Belgium	2

Sort command arrange the observations of the current data into ascending order based on the values of the variables. Data can be sorted by more than one variable, and in such cases, the sort order is lexicographic. If we sort the data by two variables, for instance, the data are placed in ascending order of the first variable, and then observations that share the same value of the first variable are placed in ascending order of the second variable. Here, we sort market, model, year. The data are in ascending order of market and within each market category, the data are in ascending order of model and within each model code, the data are in ascending order of year. Therefore, the oldest year of model No.1 in Belgium is 1983.

```
list ma co ye qu in 1/20
```

list displays the values of variables. Here we list first 20 observations' market, model code, year, number of sales.

. list ma co ye qu in 1/20

	ma	co	ye	qu
1.	Belgium	1	83	729
2.	Belgium	1	84	1860
3.	Belgium	1	85	1771
4.	Belgium	1	86	2047
5.	Belgium	1	87	2147
6.	Belgium	1	88	2087
7.	Belgium	1	89	1803
8.	Belgium	1	90	2689
9.	Belgium	1	91	2880
10.	Belgium	1	92	2849
11.	Belgium	1	93	1615
12.	Belgium	1	94	1095
13.	Belgium	2	86	775
14.	Belgium	2	87	997
15.	Belgium	2	88	1263
16.	Belgium	2	89	1200
17.	Belgium	2	90	1064
18.	Belgium	2	91	801
19.	Belgium	2	92	230
20.	Belgium	3	89	920

**tab ma**

**tab ye**

tabulate produces a one-way table of frequency counts. Here we tabulate market and find there are five categories of market: Belgium France Germany Italy and UK. There are 2,673 cars in Belgium, which accounts for 23.14%. By tabulating year, we can see the oldest year is 1970 and the most recent year is 1999 in our dataset.

. tab ma

market (=second dimension of panel)	Freq.	Percent	Cum.
Belgium	2,673	23.14	23.14
France	2,265	19.61	42.76
Germany	2,283	19.77	62.52
Italy	2,027	17.55	80.08
UK	2,301	19.92	100.00
Total	11,549	100.00	

. tab ye

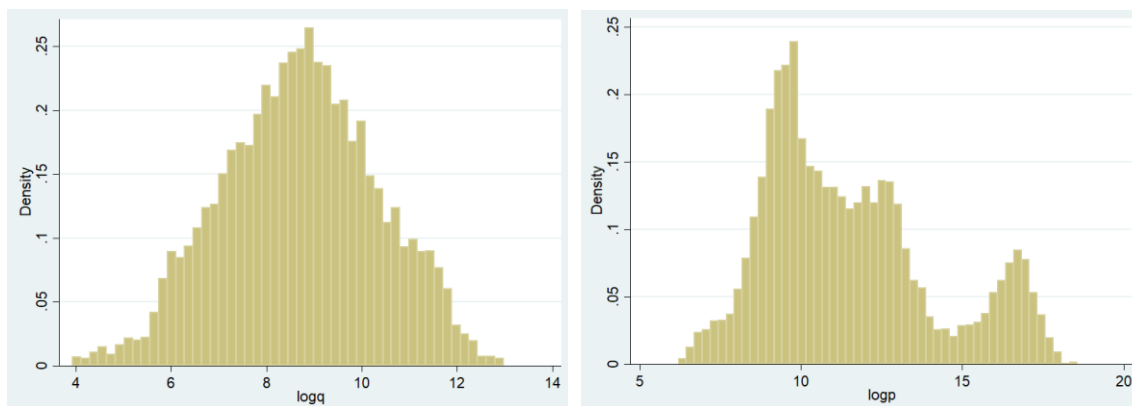
year (=first dimension of panel)	Freq.	Percent	Cum.
70	272	2.36	2.36
71	309	2.68	5.03
72	341	2.95	7.98
73	322	2.79	10.77
74	335	2.90	13.67
75	322	2.79	16.46
76	339	2.94	19.40
77	348	3.01	22.41
78	369	3.20	25.60
79	363	3.14	28.75
80	379	3.28	32.03
81	385	3.33	35.36
82	383	3.32	38.68
83	423	3.66	42.34
84	411	3.56	45.90
85	406	3.52	49.42
86	396	3.43	52.84
87	386	3.34	56.19
88	400	3.46	59.65
89	392	3.39	63.04
90	398	3.45	66.49
91	415	3.59	70.08
92	401	3.47	73.56
93	420	3.64	77.19
94	417	3.61	80.80
95	427	3.70	84.50
96	440	3.81	88.31
97	437	3.78	92.09
98	450	3.90	95.99
99	463	4.01	100.00
Total	11,549	100.00	

***gen logq = ln(qu)***  
***gen logp = ln(pr)***  
***gen logpop = ln(pop)***  
***gen loggdp = ln(ngdp)***

Then we generate new variables: logq logp logpop loggdp, which are log forms of variable: number of sales, prices, population and nominal GDP.

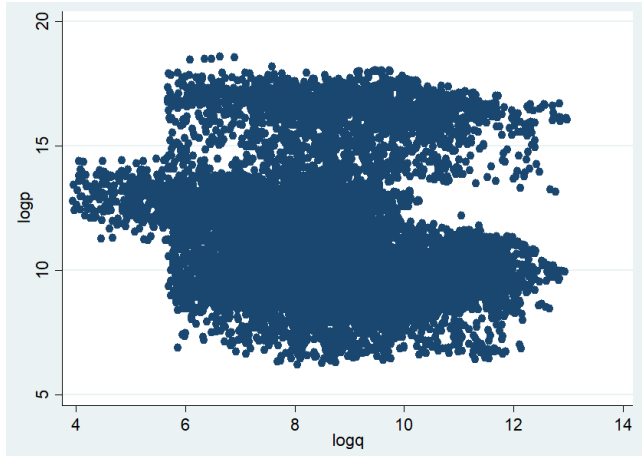
***hist logq, bin(50)***  
***hist logp, bin(50)***

A histogram is a plot that lets you discover, and show, the underlying frequency distribution (shape) of a set of continuous data. This allows the inspection of the data for its underlying distribution (e.g., normal distribution), outliers, skewness, etc. "histogram" command assumes that the variable is continuous, so you need to type only histogram followed by the variable name. If you add up the area of the bars, you would get 1.



***scatter logp logq***

Scatter plots are important in statistics because they can show the extent of correlation, if any, between the values of observed quantities or phenomena (called variables). If no correlation exists between the variables, the points appear randomly scattered on the coordinate plane. If a large correlation exists, the points concentrate near a straight line.



### 3. Simple regressions: isoelastic demands (CES)

#### 1) OLS

**reg logq logp, robust**

Linear regression		Number of obs		=		11,549	
		F(1, 11547)		=		217.88	
		Prob > F		=		0.0000	
		R-squared		=		0.0185	
		Root MSE		=		1.6118	
logq	Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]		
logp	-.0834329	.0056524	-14.76	0.000	-.0945125	-.0723533	
_cons	9.669009	.0650023	148.75	0.000	9.541594	9.796425	

Robust here means robust(unclustered) variance estimator. This simple OLS shows the negative relationship between price and quantity demanded.

Notes: The difference between three types of variance estimators: OLS, robust, and robust cluster is following:

- OLS variance estimator:  $VOLS = s^2 * (X'X)^{-1}$   
Where  $s^2 = (1/(N - k)) \sum_{i=1}^N e_i^2$
- Robust (unclustered) variance estimator:  $Vrob = (X'X)^{-1} * [ \sum_{i=1}^N (e_i * x_i)' * (e_i * x_i) ] * (X'X)^{-1}$
- Robust cluster variance estimator:  $Vcluster = (X'X)^{-1} * \sum_{j=1}^n u_j' * u_j * (X'X)^{-1}$   
Where  $u_j = \sum_{i \in \text{cluster } j} e_i * x_i$  and  $n$  is the total number of clusters.

Above,  $e_i$  is the residual for the  $i$ th observation and  $x_i$  is a row vector of predictors including the constant. For simplicity, I omitted the multipliers (which are close to 1) from the formulas for  $V_{rob}$  and  $V_{clusters}$ . The formula for the clustered estimator is simply that of the robust (unclustered) estimator with the individual  $e_i \cdot x_i$ 's replaced by their sums over each cluster.

However, simple OLS does not consider simultaneity issue between price and unobservable attributes. Therefore we would like to control Fixed effects to see the difference:

## 2) OLS controlling model Fixed Effect

### *areg logq logp, robust a(co)*

```
Linear regression, absorbing indicators      Number of obs   =   11,549
                                           F( 1, 11192)    =   336.30
                                           Prob > F         =   0.0000
                                           R-squared        =   0.4565
                                           Adj R-squared    =   0.4392
                                           Root MSE        =   1.2183
```

logq	Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]
logp	-.0873493	.0047632	-18.34	0.000	-.096686    -.0780126
_cons	9.714052	.0544106	178.53	0.000	9.607397    9.820706
co	absorbed (356 categories)				

Typical use of `areg`: “`areg depvar indvar1 indvar2, absorb(groupvar)`”

`areg` and `absorb()` allows you to dummy for qualitative variables and obtain OLS regression results, except it does not create new variables or include coefficients for these dummies in regression results.

Notes: Regression results for our variable of interest and other quantitative covariates remain identical whether you: 1) manually generate dummies and include them in the regression (and use "reg") or 2) use the `areg` method

## 3) OLS controlling model & time Fixed Effect

### *areg logq logp i.ye, robust a(co)*

Here we can see time dummies are manually generated and added into results table instead of being absorbed.

Notes: `areg` fits a linear regression absorbing one categorical factor. `areg` is designed for datasets with many groups, but not a number of groups that increases with the sample size. `xtreg`, `fe` command for an estimator that handles the case in which the number of groups increases with the sample size.

```

Linear regression, absorbing indicators      Number of obs   =   11,549
                                           F( 30, 11163)  =   13.54
                                           Prob > F        =   0.0000
                                           R-squared       =   0.4600
                                           Adj R-squared   =   0.4414
                                           Root MSE       =   1.2159

```

logq	Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
logp	-.0840172	.0048286	-17.40	0.000	-.093482	-.0745524
ye						
71	-.1727481	.1210149	-1.43	0.153	-.4099587	.0644625
72	-.1397776	.1186462	-1.18	0.239	-.3723452	.0927899
73	-.2341855	.1269346	-1.84	0.065	-.4829997	.0146288
74	-.4747776	.1232544	-3.85	0.000	-.7163781	-.2331771
75	-.4320747	.1250837	-3.45	0.001	-.6772608	-.1868886
76	-.429757	.1284696	-3.35	0.001	-.6815801	-.1779338
77	-.4272939	.1271746	-3.36	0.001	-.6765785	-.1780092
78	-.4016003	.1274453	-3.15	0.002	-.6514156	-.151785
79	-.3554762	.127734	-2.78	0.005	-.6058574	-.1050951
80	-.3345294	.1270051	-2.63	0.008	-.5834817	-.0855771
81	-.34567	.1251581	-2.76	0.006	-.5910019	-.1003381
82	-.3581478	.1246306	-2.87	0.004	-.6024457	-.1138498
83	-.4817167	.1248784	-3.86	0.000	-.7265004	-.2369331
84	-.520714	.1262474	-4.12	0.000	-.7681812	-.2732469
85	-.5705927	.1266984	-4.50	0.000	-.8189439	-.3222415
86	-.4603905	.1275012	-3.61	0.000	-.7103153	-.2104656
87	-.3783774	.1275767	-2.97	0.003	-.6284503	-.1283046
88	-.3902727	.1285992	-3.03	0.002	-.6423499	-.1381955
89	-.3415429	.1282957	-2.66	0.008	-.5930251	-.0900606
90	-.3950173	.1299559	-3.04	0.002	-.6497539	-.1402808
91	-.428876	.1285952	-3.34	0.001	-.6809452	-.1768068
92	-.3698482	.1281457	-2.89	0.004	-.6210363	-.1186601
93	-.5713861	.1285448	-4.45	0.000	-.8233567	-.3194155
94	-.5195882	.128253	-4.05	0.000	-.7709867	-.2681896
95	-.6096484	.1301979	-4.68	0.000	-.8648594	-.3544375
96	-.5894632	.1293554	-4.56	0.000	-.8430226	-.3359038
97	-.5540222	.1293488	-4.28	0.000	-.8075688	-.3004757
98	-.5514813	.1301695	-4.24	0.000	-.8066365	-.296326
99	-.6114863	.131037	-4.67	0.000	-.8683418	-.3546307
_cons	10.10385	.1172574	86.17	0.000	9.874001	10.33369
co	absorbed				(356 categories)	

#### 4) OLS controlling model & time & market Fixed Effect

***areg logq logp i.ye i.ma, robust a(co)***

```

Linear regression, absorbing indicators      Number of obs   =   11,549
                                           F( 34, 11159)  =   130.95
                                           Prob > F        =   0.0000
                                           R-squared      =   0.5598
                                           Adj R-squared  =   0.5548
                                           Root MSE      =   1.0854

```

logq	Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
logp	-.3278852	.0536588	-6.11	0.000	-.4330659	-.2227044
ye						
71	-.1519985	.1127467	-1.35	0.178	-.373002	.069005
72	-.1224336	.1109064	-1.10	0.270	-.3398297	.0949624
73	-.1782098	.1180508	-1.51	0.131	-.4096102	.0531906
74	-.3651415	.1167065	-3.13	0.002	-.5939069	-.1363761
75	-.2554398	.1180773	-2.16	0.031	-.4868922	-.0239875
76	-.2197915	.1233863	-1.78	0.075	-.4616504	.0220674
77	-.2046685	.1244622	-1.64	0.100	-.4486364	.0392993
78	-.1751628	.1247158	-1.40	0.160	-.4196279	.0693023
79	-.0653323	.1255881	-0.52	0.603	-.3115073	.1808426
80	-.0201461	.1251806	-0.16	0.872	-.2655222	.2252301
81	-.0151788	.1247302	-0.12	0.903	-.259672	.2293145
82	-.0016677	.1269493	-0.01	0.990	-.2505107	.2471754
83	-.1105638	.1290756	-0.86	0.392	-.3635747	.142447
84	-.1227381	.1321203	-0.93	0.353	-.3817173	.1362411
85	-.1616334	.1340867	-1.21	0.228	-.424467	.1012002
86	-.0310021	.1368161	-0.23	0.821	-.2991858	.2371817
87	.0574673	.1390321	0.41	0.679	-.2150601	.3299947
88	.0566239	.1421265	0.40	0.690	-.2219691	.3352168
89	.1104069	.1429447	0.77	0.440	-.16979	.3906038
90	.0888126	.1462462	0.61	0.544	-.1978558	.375481
91	.0464162	.146854	0.32	0.752	-.2414435	.334276
92	.1128623	.1474214	0.77	0.444	-.1761096	.4018342
93	-.0724912	.1497373	-0.48	0.628	-.3660028	.2210203
94	-.0347442	.1506816	-0.23	0.818	-.3301068	.2606184
95	-.1100498	.1527152	-0.72	0.471	-.4093985	.189299
96	-.085951	.1527998	-0.56	0.574	-.3854655	.2135636
97	-.050661	.15286	-0.33	0.740	-.3502937	.2489716
98	-.0505303	.1547951	-0.33	0.744	-.3539561	.2528955
99	-.0962571	.156096	-0.62	0.537	-.4022328	.2097186
ma						
France	.5672602	.1018319	5.57	0.000	.3676518	.7668686
Germany	.693624	.157776	4.40	0.000	.384355	1.002893
Italy	2.34081	.1946571	12.03	0.000	1.959248	2.722372
UK	-.06162	.2163	-0.28	0.776	-.4856063	.3623662
_cons	11.90324	.6235748	19.09	0.000	10.68092	13.12555
co	absorbed				(356 categories)	

Another command `reghdfe` performs exactly same as above:

***reghdfe logq logp, vce(robust) a(co ma ye)***

```

HDFE Linear regression      Number of obs   =   11,534
Absorbing 3 HDFE groups    F( 1, 11159)   =   37.39
Statistics robust to heteroskedasticity
                             Prob > F            =   0.0000
                             R-squared          =   0.5691
                             Adj R-squared      =   0.5547
                             Within R-sq.       =   0.0044
                             Root MSE        =   1.0854

```

logq	Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
logp	-.3278852	.053624	-6.11	0.000	-.4329976	-.2227727

Absorbed degrees of freedom:

Absorbed FE	Num. Coefs.	=	Categories	-	Redundant
co	341		341		0
ma	4		5		1
ye	29		30		1 ?

? = number of redundant parameters may be higher

`reghdfe` is a Stata package that runs linear and instrumental-variable regressions with many levels of fixed effects. Within Stata, it can be viewed as a generalization of `areg/xtreg`, with several additional features:

- Supports two or more levels of fixed effects.
- It can estimate not only ols regressions but two-stage least squares, instrumental-variable regressions, and linear gmm (via the `ivreg2` and `ivregress` commands).

- c) Careful estimation of degrees of freedom, taking into account nesting of fixed effects within clusters, as well as many possible sources of collinearity within the fixed effects.
- d) Even with only one level of fixed effects, it is faster than areg/xtreg

From the result, we can see the endogeneity problem due to the correlation of price with time-invariant country heterogeneity seems much more important than the endogeneity problem due to the correlation of price with time-invariant model heterogeneity

5) OLS adding population, GDP into explanatory variables, controlling model & time & market Fixed Effect

***reghdfe logq logp logpop loggdp, vce(robust) a(co ma ye)***

```

HDFE Linear regression           Number of obs =    11,534
Absorbing 3 HDFE groups         F(   3, 11157) =    134.08
Statistics robust to heteroskedasticity  Prob > F       =     0.0000
                                         R-squared      =     0.5836
                                         Adj R-squared  =     0.5695
                                         Within R-sq.   =     0.0377
                                         Root MSE      =     1.0672

```

logq	Robust		t	P> t	[95% Conf. Interval]	
	Coef.	Std. Err.				
logp	-1.977126	.103842	-19.04	0.000	-2.180675	-1.773578
logpop	.2430475	.2128435	1.14	0.254	-.1741634	.6602583
loggdp	1.965084	.1089951	18.03	0.000	1.751435	2.178734

Absorbed degrees of freedom:

Absorbed FE	Num. Coefs.	=	Categories	-	Redundant
co	341		341		0
ma	4		5		1
ye	29		30		1 ?

? = number of redundant parameters may be higher

By controlling GDP and population, the coefficient of logp starts to look like a reasonable elasticity of demand.

#### 4. Construction of market shares

We use population as measure of market size, consider the demand is at the household level and assume an average family size of 4 members. Therefore, market size  $H = \text{pop}/4$ . This will not be very important for the empirical results because eventually we are going to control for market\*year fixed effects.



***gen msize = pop/4***

Then we generate market share, which equals to number of sales divided by market size:

***gen share = qu/msize***

***egen sum\_share = sum(share), by(ma ye)***

One of Stata's most powerful and useful commands is egen. Like generate, it is used to create new variables, but it is much more than that. Using egen difficult and tedious variables can be created easily. Some examples are variables whose values are the mean of another variable for each group such as sociability for males and females. You can also use egen to create other variables that count the number of observations that fit a certain criteria, or even simply number observations. Here we are producing sum of market shares, separately for groups defined by one or more variables specified as arguments to by(), i.e, by market and year.

	ye	ma	sum_share
1	70	Belgium	.1079466
2	70	Belgium	.1079466
3	70	Belgium	.1079466
4	70	Belgium	.1079466
5	70	Belgium	.1079466
6	70	Belgium	.1079466
7	70	Belgium	.1079466
8	70	Belgium	.1079466
9	70	Belgium	.1079466
10	70	Belgium	.1079466
11	70	Belgium	.1079466
12	70	Belgium	.1079466
13	70	Belgium	.1079466
14	70	Belgium	.1079466
15	70	Belgium	.1079466

The outside good's market share in a given country, given year, is defined as follows:

***gen share0 = 1 - sum\_share***

***sum share share0***

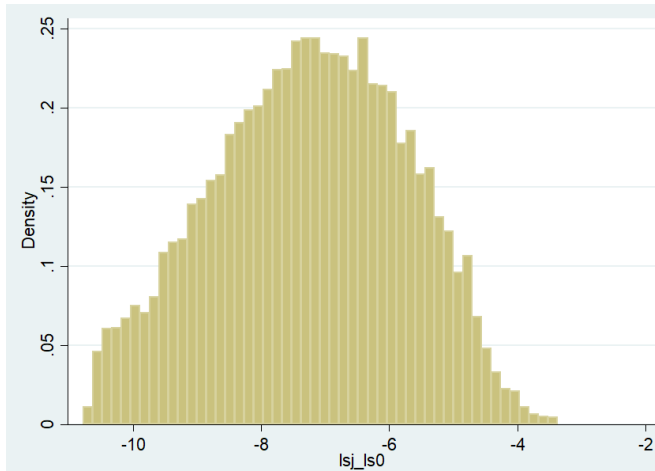
```
sum share share0
```

Variable	Obs	Mean	Std. Dev.	Min	Max
share	11,549	.0016367	.0025921	.0000176	.0303018
share0	11,549	.8717519	.0234954	.8181894	.9356163

Let's generate log of odds-ratio and make the histogram:

***gen lsj\_ls0 = ln(share/share0)***

***hist lsj\_ls0, bin(50)***



## 5. Logit demand regressions (OLS and FE)

Now we are ready for logit demand estimation:

### 1) OLS

#### *reg lsj\_ls0 logp, robust*

```
. reg lsj_ls0 logp, robust
```

Linear regression

Number of obs	=	11,549
F(1, 11547)	=	5.36
Prob > F	=	0.0206
R-squared	=	0.0005
Root MSE	=	1.5014

lsj_ls0	Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
logp	-.0122702	.0052977	-2.32	0.021	-.0226545	-.0018859
_cons	-7.106636	.0621008	-114.44	0.000	-7.228364	-6.984908

Remember that we need to solve the price endogeneity problem by including FEs:

### 2) OLS with model FE

#### *reghdfe lsj\_ls0 logp, vce(robust) a(co)*

```
HDFE Linear regression
```

Number of obs	=	11,534
Absorbing 1 HDFE group	F( 1, 11192)	= 0.69
Statistics robust to heteroskedasticity	Prob > F	= 0.4065
	R-squared	= 0.4613
	Adj R-squared	= 0.4449
	Within R-sq.	= 0.0001
	Root MSE	= 1.1189

lsj_ls0	Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
logp	-.0038931	.0046181	-0.83	0.407	-.0128853	.0052192

Absorbed degrees of freedom:

Absorbed FE	Num. Coefs.	=	Categories	-	Redundant
co	341	=	341	-	0

### 3) OLS with model & year FE

#### *reghdfe lsj\_ls0 logp, vce(robust) a(co ye)*

```

HDFE Linear regression           Number of obs = 11,534
Absorbing 2 HDFE groups         F( 1, 11163) = 0.34
Statistics robust to heteroskedasticity  Prob > F = 0.5624
                                   R-squared = 0.4693
                                   Adj R-squared = 0.4517
                                   Within R-sq. = 0.0000
                                   Root MSE = 1.1120
    
```

lsj_ls0	Robust		t	P> t	[95% Conf. Interval]	
	Coef.	Std. Err.				
logp	.0027145	.0046861	0.58	0.562	-.0064711	.0119002

Absorbed degrees of freedom:

Absorbed FE	Num. Coefs. =	Categories -	Redundant
co	341	341	0
ye	29	30	1

### 4) OLS with model & year & market FE

#### *reghdfe lsj\_ls0 logp, vce(robust) a(co ye ma)*

```

HDFE Linear regression           Number of obs = 11,534
Absorbing 3 HDFE groups         F( 1, 11159) = 23.72
Statistics robust to heteroskedasticity  Prob > F = 0.0000
                                   R-squared = 0.4932
                                   Adj R-squared = 0.4762
                                   Within R-sq. = 0.0028
                                   Root MSE = 1.0868
    
```

lsj_ls0	Robust		t	P> t	[95% Conf. Interval]	
	Coef.	Std. Err.				
logp	-.2613373	.0536553	-4.87	0.000	-.3665112	-.1561635

Absorbed degrees of freedom:

Absorbed FE	Num. Coefs. =	Categories -	Redundant
co	341	341	0
ye	29	30	1
ma	4	5	1 ?

? = number of redundant parameters may be higher

### 5) OLS controlling population & GDP with model & year & market FE

#### *reghdfe lsj\_ls0 logp logpop loggdp, vce(robust) a(co ma ye)*

```

HDFE Linear regression           Number of obs =    11,534
Absorbing 3 HDFE groups         F(   3, 11157) =    128.56
Statistics robust to heteroskedasticity
                                Prob > F       =    0.0000
                                R-squared       =    0.5109
                                Adj R-squared   =    0.4945
                                Within R-sq.    =    0.0377
                                Root MSE     =    1.0677

```

lsj_ls0	Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
logp	-2.00379	.1038401	-19.30	0.000	-2.207335	-1.800245
logpop	-.7852034	.2129166	-3.69	0.000	-1.202558	-.3678493
loggdp	2.00369	.1089785	18.39	0.000	1.790073	2.217307

Absorbed degrees of freedom:

Absorbed FE	Num. Coefs.	=	Categories	-	Redundant
co	341		341		0
ma	4		5		1
ye	29		30		1 ?

? = number of redundant parameters may be higher

## 6) OLS controlling population & GDP with brand & year & market FE

### *reghdfe lsj\_ls0 logp logpop loggdp, vce(robust) a(ma ye brd)*

```

. reghdfe lsj_ls0 logp logpop loggdp, vce(robust) a(ma ye brd)
(converged in 8 iterations)

```

```

HDFE Linear regression           Number of obs =    11,549
Absorbing 3 HDFE groups         F(   3, 11473) =    625.41
Statistics robust to heteroskedasticity
                                Prob > F       =    0.0000
                                R-squared       =    0.3535
                                Adj R-squared   =    0.3493
                                Within R-sq.    =    0.1574
                                Root MSE     =    1.2114

```

lsj_ls0	Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
logp	-1.632788	.0378404	-43.15	0.000	-1.706962	-1.558615
logpop	-.6008506	.2377051	-2.53	0.011	-1.066793	-.134908
loggdp	1.652463	.0698674	23.65	0.000	1.515511	1.789415

Absorbed degrees of freedom:

Absorbed FE	Num. Coefs.	=	Categories	-	Redundant
ma	5		5		0
ye	29		30		1
brd	39		40		1 ?

? = number of redundant parameters may be higher

## 7) OLS controlling population & GDP with brand & year & market FE and including model attributes:

### *reghdfe lsj\_ls0 logp sp ac li wi cy hp we pl do le he logpop loggdp, vce(robust) a(ma ye brd)*

```
. reghdfe lsj_ls0 logp sp ac li wi cy hp we pl do le he logpop loggdp, vce(robust) a(ma ye brd)
(converged in 8 iterations)
```

```
HDFE Linear regression      Number of obs =      9,227
Absorbing 3 HDFE groups    F( 14, 9141) =     193.03
Statistics robust to heteroskedasticity  Prob > F           =      0.0000
                                         R-squared         =      0.4208
                                         Adj R-squared     =      0.4154
                                         Within R-sq.     =      0.2427
                                         Root MSE         =      1.1577
```

lsj_ls0	Coef.	Robust Std. Err.	t	P> t	[95% Conf. Interval]	
logp	-1.339531	.1342044	-9.98	0.000	-1.602602	-1.076461
sp	.0272126	.0025619	10.62	0.000	.0221908	.0322344
ac	.0148311	.0058055	2.55	0.011	.0034511	.0262111
li	-.0520444	.018889	-2.76	0.006	-.0890711	-.0150177
wi	.0596532	.0040658	14.67	0.000	.0516833	.0676231
cy	-.0005557	.000104	-5.34	0.000	-.0007595	-.0003519
hp	-.0335244	.0026927	-12.45	0.000	-.0388026	-.0282462
we	.0004381	.0002447	1.79	0.073	-.0000416	.0009178
pl	.3583704	.0508141	7.05	0.000	.2587634	.4579774
do	-.0478343	.0197557	-2.42	0.015	-.0865599	-.0091088
le	-.0026625	.0009728	-2.74	0.006	-.0045694	-.0007556
he	-.0107419	.0040727	-2.64	0.008	-.0187252	-.0027585
logpop	-.8305754	.250483	-3.32	0.001	-1.321578	-.3395727
loggdp	1.41743	.1406121	10.08	0.000	1.141798	1.693061

Absorbed degrees of freedom:

Absorbed FE	Num. Coefs.	=	Categories	-	Redundant
ma	5		5		0
ye	29		30		1
brd	38		39		1 ?

? = number of redundant parameters may be higher

The effect of some characteristics have the expected sign (sp ac li wi) ,i.e, maximum speed, acceleration time, fuel efficiency, width. The own price-elasticity of demand seems kind of reasonable.